T-Test

One-Sample Statistics

	N	Mean	Std. Deviation	Std. Error Mean
WEIGHT	20	139.6000	43.12210	9.64240

One-Sample Test

		Test Value = 0					
				Mean	95% Confide of the Di		
	t	df	Sig. (2-tailed)	Difference	Lower	Upper	
WEIGHT	14.478	19	.000	139.6000	119.4182	159.7818	

T-Test

One-Sample Statistics

	N	Mean	Std. Deviation	Std. Error Mean
WEIGHT	20	139.6000	43.12210	9.64240

One-Sample Test

	Test Value = 150						
				Mean	95% Confidence Interval of the Difference		
	t	df	Sig. (2-tailed)	Difference	Lower	Upper	
WEIGHT	-1.079	19	.294	-10.4000	-30.5818	9.7818	

T-Test

One-Sample Statistics

	N	Mean	Std. Deviation	Std. Error Mean
	IN	IVIEATI	Deviation	IVIEALI
WTMIN150	20	-10.4000	43.12210	9.64240

One-Sample Test

	Test Value = 0					
				Mean	95% Confide of the Di	
	t	df	Sig. (2-tailed)	Difference	Lower	Upper
WTMIN150	-1.079	19	.294	-10.4000	-30.5818	9.7818

Regression

Variables Entered/Removedb,c

	Variables	Variables	
Model	Entered	Removed	Method
1	ONESa	·	Enter

a. All requested variables entered.

b. Dependent Variable: WTMIN150

C. Linear Regression through the Origin

Model Summary

Model	R	R Square ^a	Adjusted R Square	Std. Error of the Estimate
1	.240 ^b	.058	.008	43.12210

a. For regression through the origin (the no-intercept model), R Square measures the proportion of the variability in the dependent variable about the origin explained by regression. This CANNOT be compared to R Square for models which include an intercept.

b. Predictors: ONES

ANOVA^{c,d}

Model		Sum of Squares	df	Mean Square	F	Sig.
1	Regression	2163.200	1	2163.200	1.163	.294 ^a
	Residual	35330.800	19	1859.516		
	Total	37494.000 ^b	20			

a. Predictors: ONES

b. This total sum of squares is not corrected for the constant because the constant is zero for regression through the origin.

c. Dependent Variable: WTMIN150

d. Linear Regression through the Origin

Coefficients^{a,b}

		Unstand Coeffi		Standardiz ed Coefficient s		
Model		В	Std. Error	Beta	t	Sig.
1	ONES	-10.400	9.642	240	-1.079	.294

a. Dependent Variable: WTMIN150

b. Linear Regression through the Origin