## Information for the Exam on Units O and T

# Things You Must Know

- (1) Rule for reflection
- (2) How to calculate when total internal reflection will occur
- (3) How to draw principle rays and to locate an image
- (4) 0<sup>th</sup> Law of Thermodynamics
- (5) 1<sup>st</sup> Law of Thermodynamics
- (6) 2<sup>nd</sup> Law of Thermodynamics
- (7) Gas processes
- (8) Definitions of microstate, macrostate, and macropartition
- (9) The fundamental assumption of statistical mechanics

#### **Potential Useful Information**

 $n_1 \sin q_1 = n_2 \sin q_3$ 

$$|f| = R/2$$

$$\frac{1}{S} + \frac{1}{S^{\complement}} = \frac{1}{f}$$

$$\frac{1}{S} + \frac{1}{S^{\complement}} = \frac{1}{f} \qquad M \circ \frac{h^{\complement}}{h} = -\frac{S^{\complement}}{S}$$

$$m = 1 + \frac{25 \text{ cm}}{f}$$
 or  $\frac{25 \text{ cm}}{f}$   $m_{micro} \approx -\left(\frac{T}{f}\right)\left(\frac{25 \text{ cm}}{f}\right)$   $m_{tele} = -\frac{f_o}{f}$ 

$$m_{micro} \approx -\left(\frac{T}{f_o}\right) \left(\frac{25 \text{ cm}}{f_e}\right)$$

$$m_{tele} = -\frac{f_o}{f_e}$$

$$dU = mc \ dT$$

$$PV = Nk_BT$$

$$U = \frac{f}{2} N k_B T$$

$$K_{avg} = \frac{1}{2} m \left[ v^2 \right]_{avg} = \frac{3}{2} k_B T$$
  $v_{rms} = \sqrt{\left[ v^2 \right]_{avg}}$ 

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$$dW = -PdV$$

$$TV^{g-1} = \text{constant}$$

$$PV^g$$
 = constant

$$W(N,U) = \frac{(q+3N-1)!}{q!(3N-1)!} \qquad q = U/e$$

$$q = U/\epsilon$$

$$W_{AB} = W_A W_B$$

$$S = k_R \ln W$$

$$S_{AB} = S_A + S_B$$

$$\frac{1}{T} = \frac{dS}{dU}$$

$$\Pr(E) = \frac{1}{Z} e^{-E/k_B T}$$

$$Z = \mathop{\text{all states}}_{\text{all states}} e^{-E_i/k_B T}$$

$$Z = \mathop{\text{call states}}_{\text{all states}} e^{-E_i/k_B T} \qquad \qquad E_{avg} = \sum E_n \left( \frac{e^{-E_n/k_B T}}{Z} \right)$$

$$v_p = \sqrt{\frac{2k_BT}{m}}$$

$$D(v) = \frac{4}{\sqrt{\rho}} \left(\frac{v}{v_p}\right)^2 e^{-(v/v_p)}$$

$$D(v) = \frac{4}{\sqrt{\rho}} \left(\frac{v}{v_p}\right)^2 e^{-(v/v_p)^2} \qquad \Pr(v_1 < v < v_2) = \hat{v}_2 D(v) \frac{dv}{v_p}$$

$$dS = \frac{dQ}{T}$$

$$Q = mL$$

$$e = \frac{|W|}{|Q_H|} \pm \frac{T_H - T_C}{T_H}$$

$$e = \frac{|W|}{|Q_{H}|} \stackrel{\cdot}{\text{E}} \frac{T_{H} - T_{C}}{T_{H}} \qquad \text{COP} = \frac{|Q_{C}|}{|W|} \stackrel{\cdot}{\text{E}} \frac{T_{C}}{T_{H} - T_{C}}$$

### **Physical Constants and Data**

 $n \approx 1$  for air

$$k_B = 1.38 \cdot 10^{-23} \text{ J/K} = 8.62 \cdot 10^{-5} \text{ eV/K}$$

$$1 \text{ eV} = 1.602 \times 10^{-19} \text{ J}$$

$$N_{\scriptscriptstyle A}$$
 = 6.02  $^{^{\prime}}10^{23}$  molecules/mole

$$m_{\text{proton}} \gg m_{\text{neutron}} \gg 1.7 \text{ } 10^{-27} \text{ kg}$$

Avogadro's number of nucleons (protons and/or neutrons) has a mass of about 1 g

$$g = 5/3$$
 (for monatomic gas)

$$g = 7/5$$
 (for diatomic gas)

a monatomic gas has 3 degrees of freedom; a monatomic gas has 5 degrees of freedom specific heat of water =  $4186 \text{ J/(kg} \cdot \text{K)}$  latent heat of melting ice = 333 kJ/kg

### **Propagation of Uncertainties**

In general: 
$$f(a,b,\square)$$

$$U[f] = \sqrt{\left(\frac{\partial f}{\partial a}U[a]\right)^2 + \left(\frac{\partial f}{\partial b}U[b]\right)^2 + \Box}$$

If 
$$f = \frac{ab\Box}{cd\Box}$$

$$U[f] = |f| \sqrt{\left(\frac{U[a]}{a}\right)^2 + \left(\frac{U[b]}{b}\right)^2 + \left(\frac{U[c]}{c}\right)^2 + \Box}$$

If 
$$f = a + b + \Box - c - d - \Box$$

$$U[f] = \sqrt{\left(U[a]\right)^2 + \left(U[b]\right)^2 + \left(U[c]\right)^2 + \Box}$$